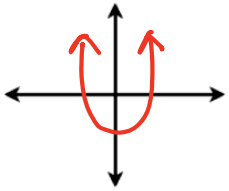
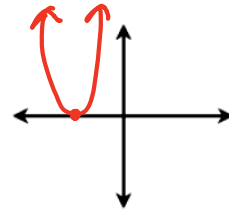
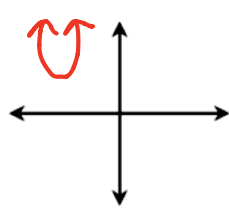
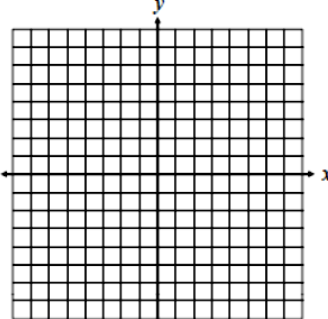
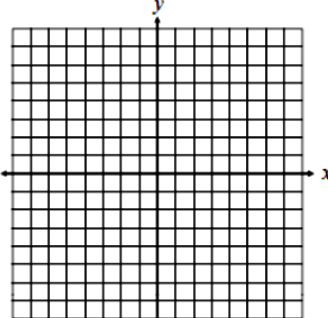
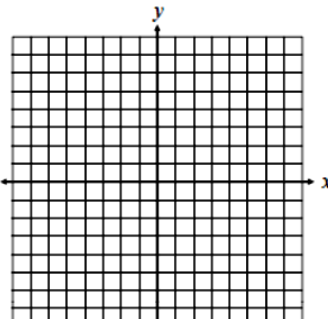


Main Ideas/Questions	Notes/Examples				
<p><i>Solutions to a QUADRATIC EQUATION</i></p>	<ul style="list-style-type: none"> The solutions to a quadratic equation are the points at which the function intersects the <u>x - axis</u>. The solutions are also referred to as <u>zeros</u>, <u>roots</u> or <u>x - intercepts</u> (y-column will have a zero) 				
<p><i>Number of Solutions</i></p>	<p>2 SOLUTIONS</p> 	<p>1 SOLUTION</p> 	<p>NO REAL SOLUTIONS</p> 		
<p>SOLVE BY GRAPHING</p> <p>Solutions:</p> <p>1. <u>$x = 1$ $x = -3$</u></p> <p>2. <u>$x = -5$ $x = -5$</u></p> <p>3. <u>$x = 4$ $x = 2$</u></p>	<p>Directions: Find the solutions to each quadratic equation by graphing.</p> <p>1. $f(x) = x^2 + 2x - 3$</p> <table border="0" style="width: 100%;"> <tr> <td style="width: 50%; vertical-align: top;"> <p><u>Graphing Calc:</u></p> <ol style="list-style-type: none"> Go to $y =$ Put quadratic in $y =$ Hit 2nd Graph In table: look for zero in y-column </td> <td style="width: 50%; vertical-align: top;"> <p><u>Yellow Calc:</u></p> <ol style="list-style-type: none"> Hit table Put quadratic in $y =$ Hit Enter until you see the table. look for zero in y-column </td> </tr> </table>  <p>2. $f(x) = -x^2 - 10x - 25$</p> <p>$x = -5$ (mult. 2)</p>  <p>3. $f(x) = x^2 - 6x + 8$</p> <p>$x = 4$ $x = 2$</p> 			<p><u>Graphing Calc:</u></p> <ol style="list-style-type: none"> Go to $y =$ Put quadratic in $y =$ Hit 2nd Graph In table: look for zero in y-column 	<p><u>Yellow Calc:</u></p> <ol style="list-style-type: none"> Hit table Put quadratic in $y =$ Hit Enter until you see the table. look for zero in y-column
<p><u>Graphing Calc:</u></p> <ol style="list-style-type: none"> Go to $y =$ Put quadratic in $y =$ Hit 2nd Graph In table: look for zero in y-column 	<p><u>Yellow Calc:</u></p> <ol style="list-style-type: none"> Hit table Put quadratic in $y =$ Hit Enter until you see the table. look for zero in y-column 				

Solutions:

4. $x = -7$ $x = -4$

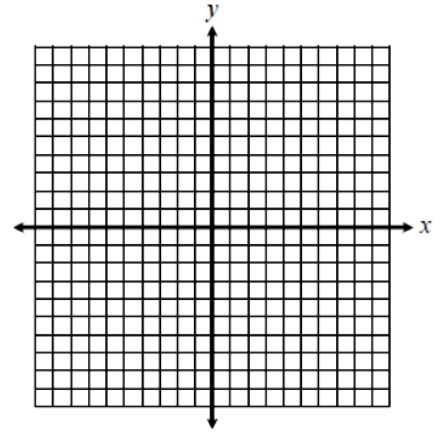
5. $x = -3$ $x = 3$

6. $x = 0$ $x = -3$

7. No Real Solutions

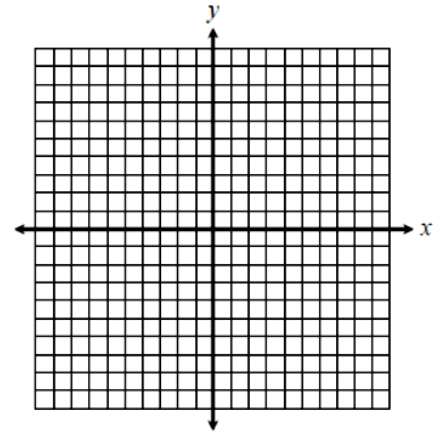
4. $f(x) = -x^2 - 11x - 28$

$x = -7$ $x = -4$



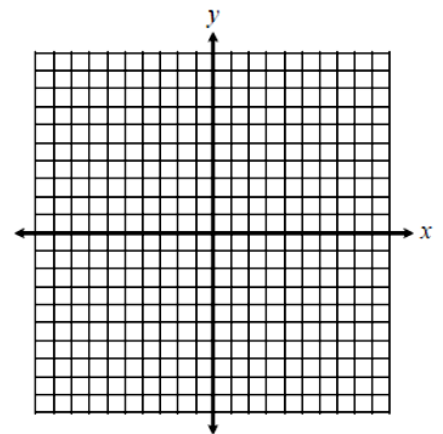
5. $f(x) = x^2 - 9$

$x = -3$ $x = 3$
or
 $x = \pm 3$



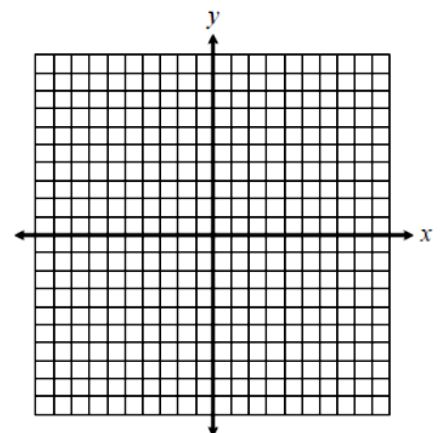
6. $f(x) = 2x^2 + 6x$

$x = 0$ $x = -3$



7. $f(x) = -x^2 + 8x - 17$

No real solutions



Using the graphing calculator to find the real zeros.

Steps:

1. If necessary, turn the quadratic equation into a quadratic function by setting it equal to y.
2. Type the equation into Y1; Set Y2=0
3. Graph the function then use the CALC feature (2nd trace, Option 5: INTERSECT) to find the locations of where the function crosses the x-axis.

Examples: Find the real zeros for the following.

8. $x^2 + 6x + 4 = 0$

$x = -5.24, x = -0.76$

9. $0 = 4x^2 + 3x - 1$

$x = -1, x = 0.25$

10. $3x^2 + 5x - 1 = 8$

$3x^2 + 5x - 9 = 0$
 $x = -2.76, x = 1.09$

Simplifying Radicals & Solving by Square Root Property

<h3>Steps for Simplifying Radicals</h3>	Case 1: PERFECT SQUARES – Take the square root of the number
	Case 2: Non – Perfect Squares – Use calculator Steps for Calculator: Go to Y = Type # under the radical divided by x^2 Look for smallest #, that is not a decimal, in the y – column. Then write: $x - value\sqrt{y - value}$

Examples: Simplifying Radicals		
1) $\sqrt{49}$ ± 7	2) $\sqrt{225}$ ± 15	3) $\sqrt{144}$ ± 12
4) $\sqrt{\frac{4}{9}} = \frac{\sqrt{4}}{\sqrt{9}}$ $= \pm \frac{2}{3}$	5) $\sqrt{\frac{1}{81}} = \frac{\sqrt{1}}{\sqrt{81}}$ $= \pm \frac{1}{9}$	6) $\sqrt{\frac{36}{121}} = \frac{\sqrt{36}}{\sqrt{121}}$ $= \pm \frac{6}{11}$
7) $-\sqrt{112}$ $\pm 4\sqrt{7}$	8) $\sqrt{245}$ $\pm 7\sqrt{5}$	9) $5\sqrt{72}$ $5 \times 6\sqrt{2}$ $30\sqrt{2}$

10) $9\sqrt{45}$ \swarrow $9 \times 3\sqrt{5}$ $27\sqrt{5}$	11) $\sqrt{250}$ $\pm 5\sqrt{10}$	12) $3\sqrt{578}$ \swarrow $3 \times 17\sqrt{2}$ $\underline{51\sqrt{2}}$
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Steps for Solving Quadratics by Square Root Property		Quadratic Equations of the form: $ax^2 \pm c = 0$ (has no middle term, bx) can be solved using the Square Root Property: If $x^2 = n$, then $x = \pm\sqrt{n}$
	1)	ISOLATE x^2
	2)	Take the SQUARE ROOT of both sides
	3)	Simplify the radical (if needed). Please " \pm " to indicate both answers.

Examples: Solving Quadratics by Square Root Property		
1) $x^2 - 64 = 0$ $\frac{\quad +64 \quad +64}{\quad \quad \quad}$ $\sqrt{x^2} = \sqrt{64}$ $x = \pm 8$	2) $7x^2 + 8 = 15$ $\frac{\quad -8 \quad -8}{\quad \quad \quad}$ $\frac{\sqrt{7x^2}}{\sqrt{7}} = \frac{7}{7}$ $\sqrt{x^2} = \sqrt{1}$ $x = \pm 1$	3) $81x^2 + 5 = 21$ $\frac{\quad -5 \quad -5}{\quad \quad \quad}$ $\frac{\sqrt{81x^2}}{\sqrt{81}} = \frac{16}{81}$ $\sqrt{x^2} = \sqrt{\frac{16}{81}} = \frac{\sqrt{16}}{\sqrt{81}}$ $x = \pm \frac{4}{9}$
4) $8x^2 + 1 = 17$ $\frac{\quad -1 \quad -1}{\quad \quad \quad}$ $\frac{\sqrt{8x^2}}{\sqrt{8}} = \frac{16}{8}$ $\sqrt{x^2} = \sqrt{2}$ $x = \pm \sqrt{2}$	5) $2x^2 - 9 = 55$ $\frac{\quad +9 \quad +9}{\quad \quad \quad}$ $\frac{\sqrt{2x^2}}{\sqrt{2}} = \frac{64}{2}$ $\sqrt{x^2} = \sqrt{32}$ $x = \pm 4\sqrt{2}$	6) $9x^2 + 3 = 111$ $\frac{\quad -3 \quad -3}{\quad \quad \quad}$ $\frac{\sqrt{9x^2}}{\sqrt{9}} = \frac{108}{9}$ $\sqrt{x^2} = \sqrt{12}$ $x = \pm 2\sqrt{3}$
7) $4 - 3x^2 = -77$ $\frac{\quad -4 \quad -4}{\quad \quad \quad}$ $\frac{\sqrt{3x^2}}{\sqrt{3}} = \frac{-81}{-3}$ $\sqrt{x^2} = \sqrt{27}$ $x = \pm 3\sqrt{3}$	8) $5x^2 + 10 = 310$ $x = \pm 2\sqrt{15}$	9) $\frac{-1}{2}x^2 + 1 = -39$ $x = \pm 4\sqrt{5}$